**AIKTC/KRRC/SoET/ACKN/QUES/2019-20/** **Date:** 15/01/2020

**School:** SoET-CBSGS **Branch:** EXTC ENGG. **SEM:** III

**To,**
**Exam Controller,**
**AIKTC, New Panvel.**

Dear Sir/Madam,

Received with thanks the following **Semester/Unit Test-I/Unit Test-II (Reg./ATKT)** question papers from your exam cell:

| Sr. No. | Subject Name | Subject Code | Format | | No. of Copies |
|---|---|---|---|---|---|
| | | | SC | HC | |
| 1 | Applied Mathematics- III | ETS301 | | ✓ | 02 |
| 2 | Analog Electronics – I | ETC302 | | – | – |
| 3 | Digital Electonics | ETC303 | | – | – |
| 4 | Circuits & Transmission Lines | ETC304 | | ✓ | 02 |
| 5 | Electronics Instruments & Measurement | ETC305 | | – | – |
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**Note: SC – Softcopy, HC - Hardcopy**

(Shaheen Ansari)
**Librarian, AIKTC**

(3 Hours) [Total Marks : 80]

Note:- 1) Question number **1** is **compulsory.**

2) Attempt any **three** questions from the remaining **five** questions

3) **Figures** to the **right** indicate **full** marks.

Q.1 a) Find the Laplace transform of cost cos2t cos3t 05

b) Show that the set of functions cosnx, n= 1,2,3,..... is orthogonal over $(0, 2\pi)$ 05

c) Prove that $f(z) = (x^3 - 3xy^2 + 2xy) + i(3x^2y - x^2 + y^2 - y^3)$ is analytic and find $f'(z)$ in terms of z . 05

d) Find the directional derivative of $\varphi = x^2+y^2+z^2$ in the direction of the line $\frac{x}{3} = \frac{y}{4} = \frac{z}{5}$ at (1, 2, 3) 05

Q.2 a) Find the fourier series for $f(x) = x^2$ in $(0, 2\pi)$ 06

b) Show that the vector $\bar{F} = (x^2 + xy^2)\,i + (y^2 + x^2y)\,j$ is irrotational and find its scalar potential 06

c) Prove that the transformation $w = \frac{1}{z+i}$ transforms real axis of z- plane into a circle of w – plane 08

Q.3 a) Using convolution theorem, find inverse Laplace transform of $\frac{s^2}{(s^2+2^2)^2}$ . 06

b) Prove that $J_{5/2}(x) = \sqrt{\frac{2}{\pi x}}\left(\frac{3-x^2}{x^2}\sin x - \frac{3}{x}\cos x\right)$ 06

c) Find half range cosine series for $f(x) = x(\pi - x)$, $0<x<\pi$. Hence show that $\sum_1^\infty \frac{1}{n^4} = \frac{\pi^4}{90}$ 08

Q.4 a) Evaluate by Green's theorem $\int_c (e^{x^2} - xy)\,dx - (y^2 - ax)dy$ where c is the circle $x^2 + y^2 = a^2$. 06

b) Prove that $2\,J_0''(x) = J_2(X) - J_0(x)$. 06

c) i) Evaluate $\int_0^\infty \frac{e^{-t} - e^{-3t}}{t}\,dt$ 08

ii) Find Laplace transform of $t\sqrt{1 + sint}$

Q.5 a) Find the orthogonal trajectory of the family of curves $x^3y - xy^3 = c$. 06

b) Prove that $\int x \cdot J_{2/3}(x^{3/2})\,dx = -\frac{2}{3}x^{-1/2} J_{-1/3}(x^{3/2})$. 06

c) Obtain complex form of Fourier Series for $f(x) = e^{2x}$ in $(0, 2)$. 08

Q.6 a) Use stoke's Theorem to evaluate $\int_c \bar{F} \cdot d\bar{r}$ where $\bar{F} = yz\,i + zx\,j + xy\,k$ and C is the boundary of the circle $x^2 + y^2 + z^2 = 1$ and $z = 0$. 06

b) Find the fourier integral representation for 06

$f(x) = e^{ax}$, $x \le 0$, $a > 0$

$= e^{-ax}$, $x \ge 0$, $a > 0$

Hence show that $\int_0^\infty \frac{\cos wx}{w^2 + a^2}\,dx = \frac{\pi}{2a} e^{-ax}$, $x > 0$, $a > 0$

c) Solve using Laplace transform $(D^2 + 2D + 5)y = e^t \sin t$, where $y(0) = 0$, $y'(0) = 1$. 08

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(2)

Paper / Subject Code: 49605 / CIRCUITS AND TRANSMISSION LINES

26/11/19

BE-Sem-III-OBSGS-EXTC

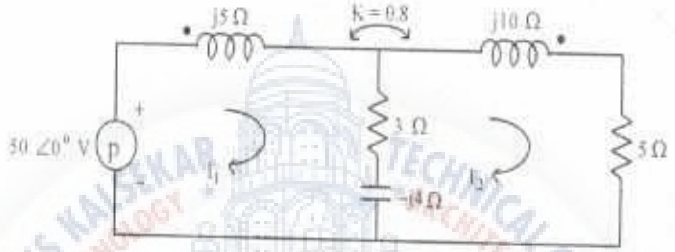
Q.P. Code : 50501

**[Time: Three Hours]** **[ Marks:80]**

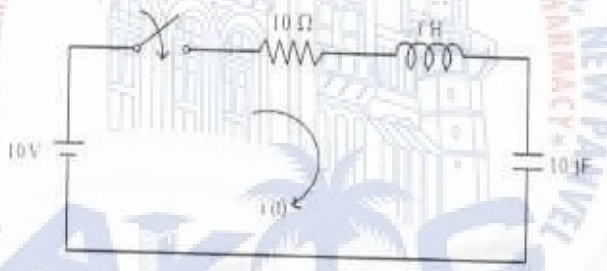
**N.B.**

**1) Question No. 1 is Compulsory**
**2) Out of remaining questions, attempt any three**
**3) Assume suitable data if required**
**4) Figures to the right indicate full marks**

1 (A) Draw equivalent circuit for given magnetically coupled circuit. 05




(B) In the network shown in Fig., switch is closed. Assuming all initial conditions as zero, find $i$ and $\frac{di}{dt}$ at $t = 0+$. 05

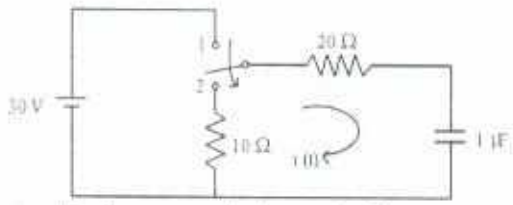



(C) In the two port network shown in Fig., compute h-parameters from the following data : 05

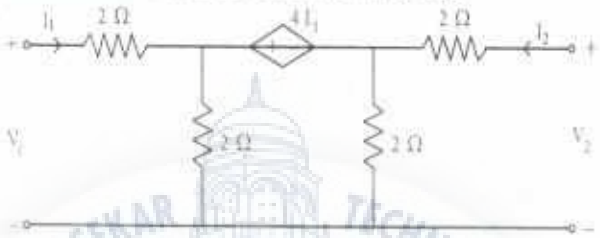
(a) With the output port short circuited : $V_1 = 25$ V, $I_1 = 1$ A, $I_2 = 2$ A
(b) With the input port open circuited : $V_1 = 10$ V, $V_2 = 50$ V, $I_2 = 2$ A


(D) Design an m-derived T section high pass filter with a cut-off frequency of 2 kHz. Design impedance of 700Ω and m = 0.6. 05

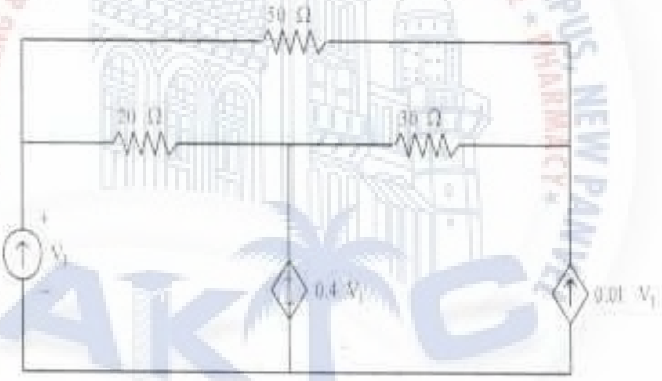
2 (A) In the network shown in Fig., switch is changed from position 1 to position 2 at t = 0, steady condition having reached before switching. Find the values of i, $\frac{di}{dt}$ and $\frac{d2i}{dt2}$ at t = 0+. 10




(B) Find Z and h-parameters for the network shown in Fig. 10




3 (A) Find the power supplied by the dependent voltage source. 10




(B) The parameters of a transmission lines are R = 65Ω/km, L=1.6mH/km, G = 2.25 mmho/km, C=0.1μF/km. Find 10

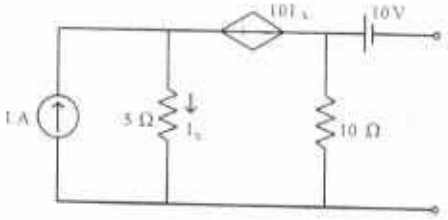
i) Characteristic Impedance
ii) Propagation Constant
iii) Attenuation Constant
iv) Phase Constant at 1 kHz

4 (A) Determine whether following functions are positive real 10

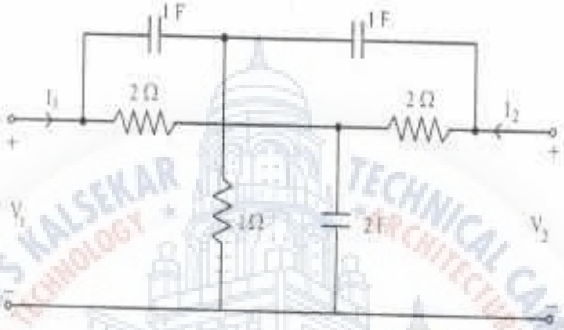
i) $\frac{s^4 + 3s^3 + s^2 + s + 2}{s^3 + s^2 + s + 1}$

ii) $\frac{s(s+3)(s+5)}{(s+1)(s+4)}$

(B) Obtain Thevenin equivalent network of Fig. 10




5 (A) Find Y-parameters for the network shown in Fig. 10

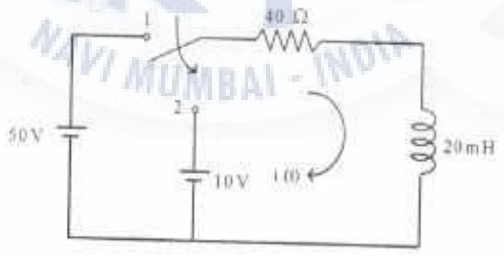



(B) Realize the following functions in Foster II and Cauer I form 10

$$Z(s) = \frac{2(s^2+1)(s^2+9)}{s(s^2+4)}$$

6 (A) A transmission line has a characteristics impedance of 50 ohm and terminate in a load $Z_L$= 25 + j50 ohm. Use smith chart and Find VSWR and Reflection coefficient at the load. 10

(B) The network of Fig. is under steady state with switch at position 1. At t = 0, switch is moved to position 2. Find i (t). 10

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